

Example: Two-Tail Test

A pharmaceutical company claims that each of its pills contains exactly 20.00 milligrams of Cumidin (a blood thinner). You sample 64 pills and find that the sample mean $\bar{X} = 20.50$ mg and $s = .80$ mg. Should the company's claim be rejected? Test at $\alpha = 0.05$.

- ▶ *Formulate the hypotheses*

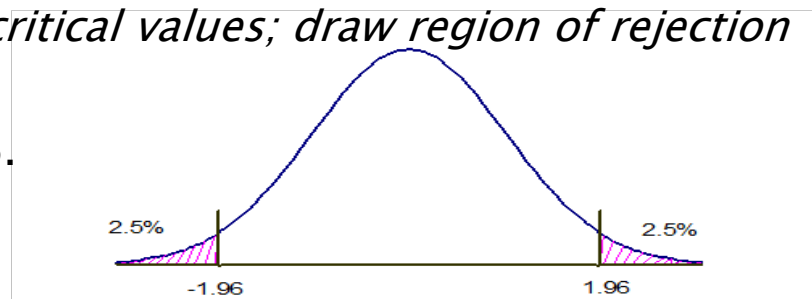
$$H_0: \mu = 20.00 \text{ mg}$$

$$H_1: \mu \neq 20.00 \text{ mg}$$

- ▶ *Choose the test statistic and find the critical values; draw region of rejection*

Test statistic: Z

At $\alpha = 0.05$, the critical values are ± 1.96 .



- ▶ *Use the data to get the calculated value of the test statistic*

$$Z = \frac{20.50 - 20.00}{\frac{.80}{\sqrt{64}}} = \frac{.50}{.10} = 5 \quad [.80/\sqrt{.64} = .10 \text{ This is the standard error of the mean. }]$$

- ▶ *Come to a Conclusion: Reject H_0 or Do Not Reject H_0*

The computed Z value of 5 is deep in the region of rejection.

Thus, Reject H_0 at $p < .05$